

DOING IT NOW or LATER?

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Reformulates the theory of procrastination in terms of time inconsistency

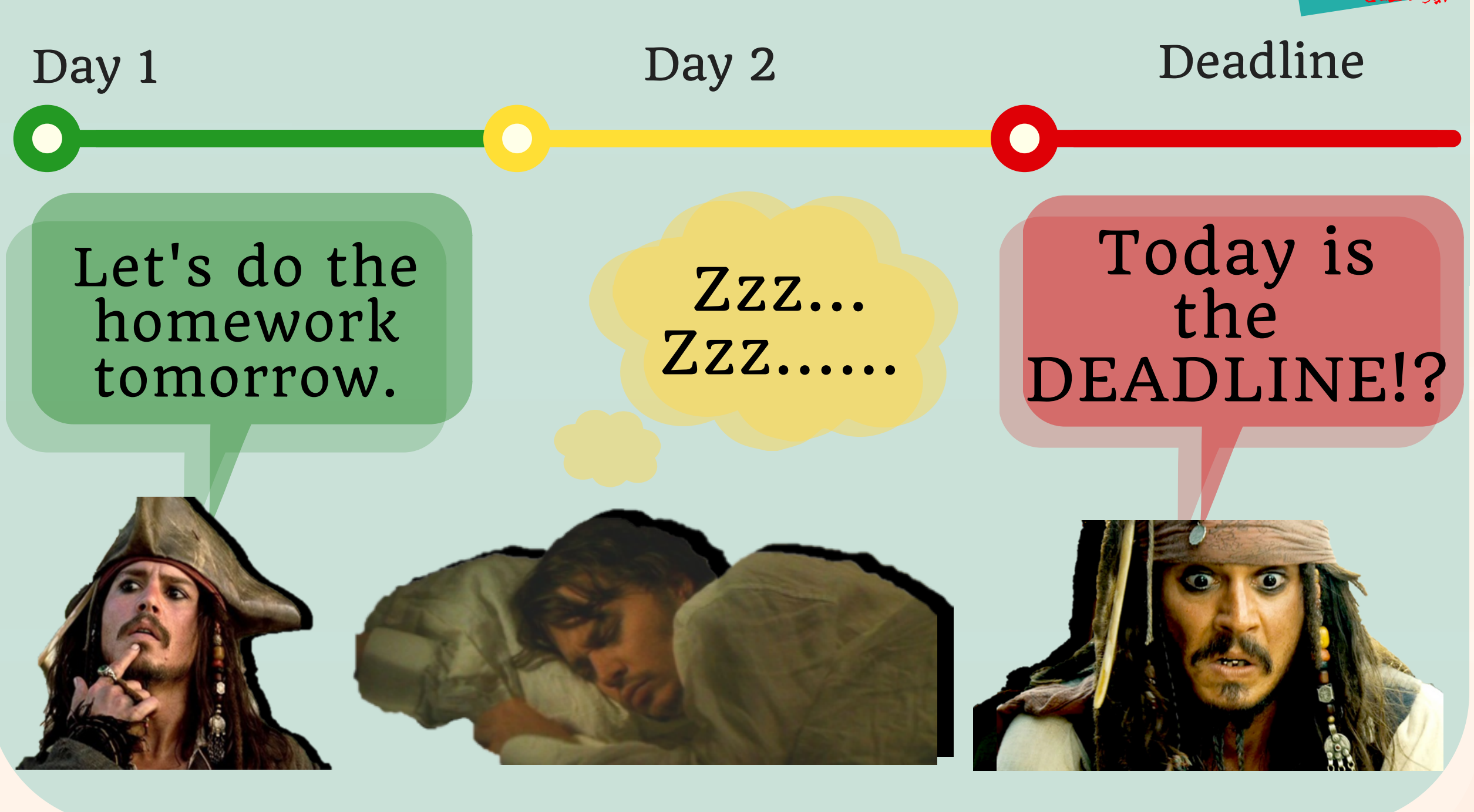


What is time inconsistency?

We are "Present-Biased"
We have tendency to:

- avoid immediate costs
- grab immediate rewards

So we **will not** commit to plan



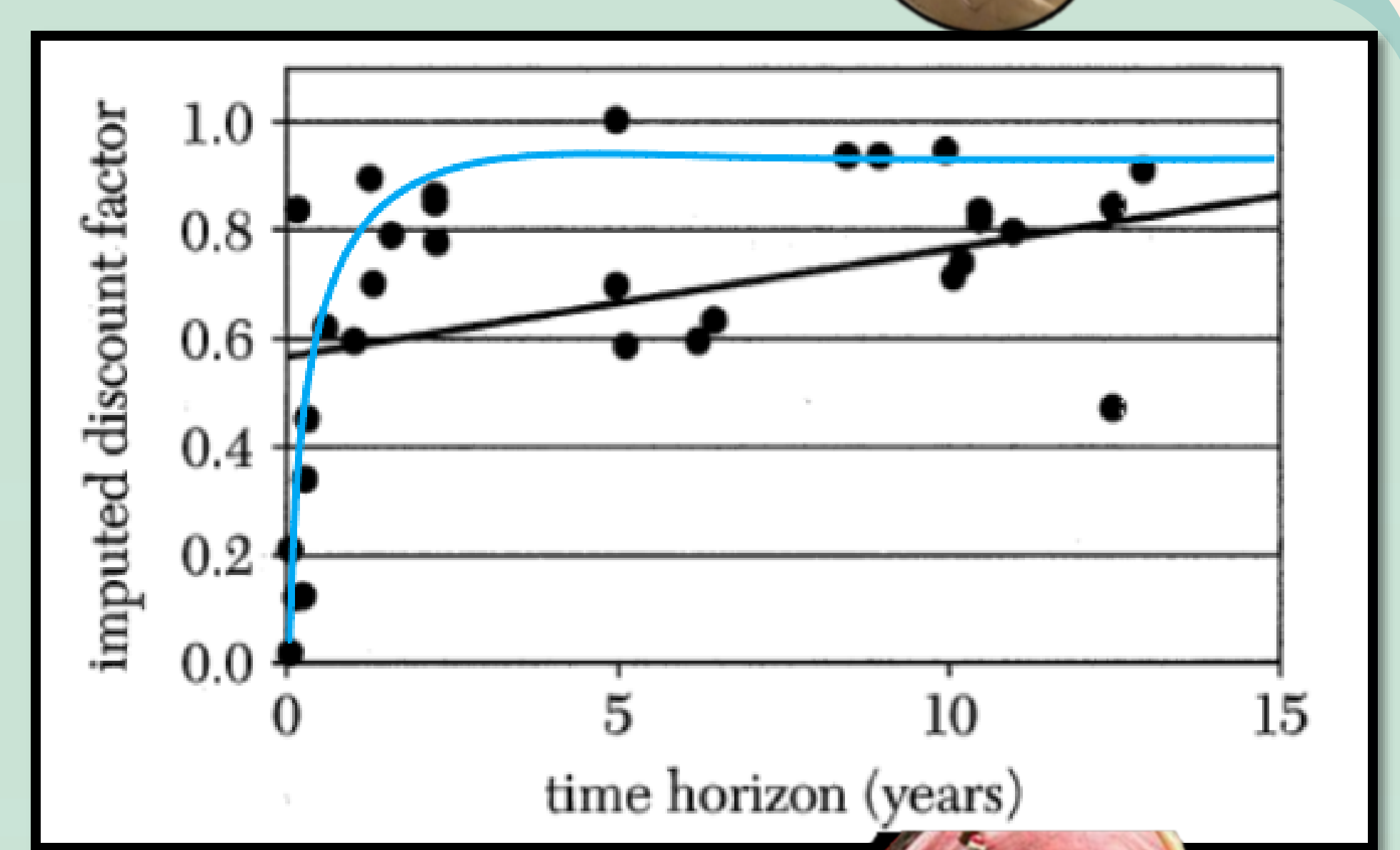
Why is there time inconsistency?

β - δ discounting

For all t , $U^t(u_t, u_{t+1}, \dots, u_T)$

$$= \delta^t u_t + \beta \sum_{\tau=t+1}^T \delta^\tau u_\tau,$$

where $0 < \beta, \delta \leq 1$



If $\beta < 1$, the cost is larger than expected when tomorrow comes.

Sophisticated Individual

Yes!
Yes!
Do it earlier!

Do you realise you have self-control problem? ✓

Do you foresee yourself not going to commit the plan? ✓

Naïve Individual

No!
No!
Do it later!

Being sophisticated always mean better off?



	Immediate Cost	Immediate Reward
Sophisticated	Better off	Worse off
Naive	Worse off	Better off

Case study (Choose an option) Assume $\beta = 0.7$, $\delta = 0.9$

Scenario I : Immediate Cost -- Course Project

Given: Work on the project on Day 1
Cost : $\Delta u = -1$

Work on the project on Day 2
Cost : $\Delta u = -1.5$

Work on the project on Day 3
Cost : $\Delta u = -2$

Day 0 - Planning Stage

$U(\text{work on Day 1}) = \beta \delta^1 u_1 = (0.7)(0.9)(0 - 1) = -0.63$ ✓

$U(\text{work on Day 2}) = \beta \delta^2 u_2 = (0.7)(0.9)^2(0 - 1.5) = -0.85$

$U(\text{work on Day 3}) = \beta \delta^3 u_3 = (0.7)(0.9)^3(0 - 2) = -1.02$

Day 1

~~$U(\text{work on Day 1}) = \delta^0 u_1 = (1)(0 - 1) = -1$~~

$U(\text{work on Day 2}) = \beta \delta^1 u_2 = (0.7)(0.9)(0 - 1.5) = -0.95$ ✓

~~$U(\text{work on Day 3}) = \beta \delta^2 u_3 = (0.7)(0.9)^2(0 - 2) = -1.13$~~

Day 2

~~$U(\text{work on Day 2}) = \delta^0 u_2 = (1)(0 - 1.5) = -1.5$~~

$U(\text{work on Day 3}) = \beta \delta^1 u_3 = (0.7)(0.9)(0 - 2) = -1.26$ ✓

Day 3 - Deadline

$U(\text{work on Day 3}) = \delta^0 u_3 = (1)(0 - 2) = -2$ ✓

Naïve Individual

Sophisticated Individual

Backward Induction

Assume sophisticated people are perfectly rational.
They **consider** how they make decision in the **future** to make decision **now**.

Scenario II : Immediate Reward (Pleasant Task) - Wait for a better movie

Given: Watch bad movie on Day 1
Benefit : $\Delta u = +1$

Watch good movie on Day 2
Benefit : $\Delta u = +1.5$

Watch the best movie (Johnny Depp movie) on Day 3
Benefit : $\Delta u = +2$

Day 0 - Planning Stage

$U(\text{watch bad movie on Day 1}) = \beta \delta^1 u_1 = (0.7)(0.9)(1 - 0) = 0.63$

$U(\text{watch good movie on Day 2}) = \beta \delta^2 u_2 = (0.7)(0.9)^2(1.5 - 0) = 0.85$

$U(\text{watch Johnny Depp movie on Day 3}) = \beta \delta^3 u_3 = (0.7)(0.9)^3(2 - 0) = 1.02$ ✓

Day 1

~~$U(\text{watch bad movie on Day 1}) = \delta^0 u_1 = (1)(1 - 0) = 1$~~

~~$U(\text{watch good movie on Day 2}) = \beta \delta^1 u_2 = (0.7)(0.9)(1.5 - 0) = 0.95$~~

$U(\text{watch Johnny Depp movie on Day 3}) = \beta \delta^2 u_3 = (0.7)(0.9)^2(2 - 0) = 1.13$ ✓

Day 2

$U(\text{watch good movie on Day 2}) = \delta^0 u_2 = (1)(1.5 - 0) = 1.5$ ✓

~~$U(\text{watch Johnny Depp movie on Day 3}) = \beta \delta^1 u_3 = (0.7)(0.9)(2 - 0) = 1.26$~~

Day 3 - Deadline

