

# Sudden stops and consumption inequality with nonhomothetic preferences

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Emerging markets have higher levels of income and consumption inequality

Emerging markets are also subject to sudden-stop crises are characterized by sharp real exchange rate depreciation

Recent evidence of differences in income elasticities of demand for tradables and nontradables goods (non-homothetic preferences), and it's important for macro aggregates

**Implication:** Changes in the consumption bundle across the income distribution could have an impact on the real exchange rate during a current account reversal

# Research questions when preferences are nonhomothetic

1. What happens to consumption inequality during sudden stop crises?
2. Should regulators consider income redistribution when setting macroprudential policies?
3. Is overborrowing uniform across the income distribution?

## Results

- Under laissez-faire, consumption inequality moves little during crises.
- Under optimal policies, increasing consumption inequality during crises can reduce the frequency and severity of sudden stops
- From a social standpoint, high income households overborrow while low income households underborrow

# This paper: SOE with heterogeneous agents

Continuum of households with access to international credit markets

Agents are **heterogeneous** on the share of the stochastic aggregate endowment they receive

Every agent's debt is constrained by market value of *their* income (**credit frictions**)

**Sudden-stop crisis**: Defined as a period where the current account of the economy increases by more than two standard deviations

**Preferences**: Household have a higher income elasticity for nontradables than for tradables

# Two versions

**Decentralized version:** Continuum of competitive households choose individual debt and consumption taking all aggregate laws of motion as given

**Constrained-efficient version:** A planner makes all borrowing decisions but is subject to the same credit constraints as the households in the decentralized version

Households choose their consumption competitively subject to their individual budget constraints

Planner can't transfer resources across households directly

## Related literature

- Inequality and economic cycles

Broer (2020); Primiceri and van Rens(2009); Storesletten, Telmer, and Yaron (2007, 2004) ; Krebs (2007); Barlevy and Tsiddon (2006);

→ The role of inequality on sudden stops crises in emerging economies

- Macroeconomic impact of nonhomothetic preferences

Rojas and Saffie (2021); Comin, Lashkari, Mestieri (2021),Boppart (2014), Buera, and Kaboski (2009)

→ Sectoral consumption reallocation can increase frequency and severity of crises

- Sudden Stops and inequality

Villalvazo (2021), Hong (2020), Guntin, Ottonello, and Perez (2021), Kumhof, Ranciere, and Winant (2015);

→ Differential effect on the real exchange rate of households with different income levels

# Empirical Motivation

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# Country focus: Peru 2007 - 2019

From 2007 to 2019, Peru had two **CA reversals** (2009 and 2016)

We complement the macro data with household survey data (ENAHO)

Repeated cross-sections that are consistent with **macro** aggregates

**Income:** Net monetary income, includes subsidies and transfers

**Consumption:** Non-durable monetary consumption

**Inequality:** The ratio of consumption expenditures of households with income above to below the median



# Peru ENAHO: Decomposition and Residualization

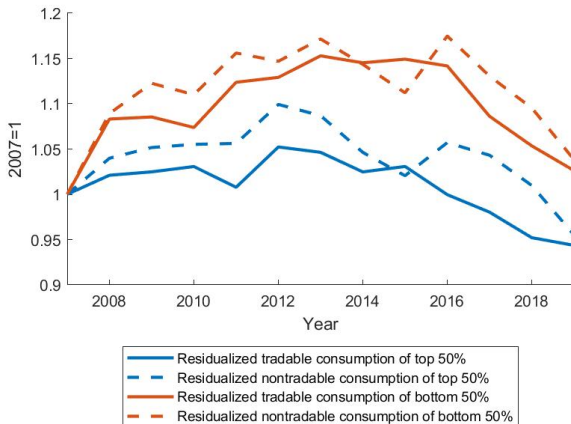
Decompose annualized monetary consumption expenditures at the household level expenditures into four categories:

- **Tradable** consumption: Food, Clothing, Energy, Home equipment.
- **Nontradable** consumption: Restaurants, Services, Education, Health, Transportation.
- Durable consumption: Housing, Cars, Furniture, Electronics
- Not classified: Others

**Consumption:** Tradable + nontradable consumption

Income and consumption are residualized using head of household observables (age, education, gender,...) and time trends **Regression**

# Homothetic preferences?



Source: Encuesta Nacional de Hogares (ENAH)

Nonresidualized

Consumption inequality

T-NT consumption inequality

# Measuring nonhomotheticity

Following Comin, Lashkari, and Mestieri (2021), we assume household's preference in each period  $u(c)$ , nested generalized CES

$c$  is a composite of tradable  $c_T$  and nontradable  $c_N$  consumption such that

$$1 = \left[ \omega (c_T)^{-\eta} c^{\epsilon_T(1+\eta)-1} + (1 - \omega) (c_N)^{-\eta} c^{\epsilon_N(1+\eta)-1} \right]^{-1/\eta}, \eta > -1, \omega \in (0, 1)$$

Elasticity of substitution T-NT:  $\frac{1}{1+\eta}$

Income elasticity of good  $j$ :  $\frac{1}{1+\eta} + \frac{\eta}{1+\eta} \frac{\epsilon_j}{\omega \epsilon_T + (1-\omega) \epsilon_N}$

Preference is homothetic CES if  $\epsilon_T = \epsilon_N = 1$

# Hicksian approach

Expenditure

$$E \equiv p_T c_T + p_N c_N$$

Hicksian demand

$$c_T = \omega^{\frac{1}{1+\eta}} \left( \frac{E}{p_T} \right)^{\frac{1}{1+\eta}} c^{\epsilon_T - \frac{1}{1+\eta}}$$

$$c_N = (1 - \omega)^{\frac{1}{1+\eta}} \left( \frac{E}{p_N} \right)^{\frac{1}{1+\eta}} c^{\epsilon_N - \frac{1}{1+\eta}}$$

Shares of tradable and nontradable expenditures

$$\bar{\omega}_T = \omega^{\frac{1}{1+\eta}} \left( \frac{E}{p_T} \right)^{\frac{1}{1+\eta} - 1} c^{\epsilon_T - \frac{1}{1+\eta}}$$

$$\bar{\omega}_N = (1 - \omega)^{\frac{1}{1+\eta}} \left( \frac{E}{p_N} \right)^{\frac{1}{1+\eta} - 1} c^{\epsilon_N - \frac{1}{1+\eta}}$$

# Elasticity estimation: Method

We normalize  $\epsilon_T = 1$  and estimate parameters  $\epsilon_N$  and  $\eta$  using GMM

Moment condition:

$$\log \left( \frac{\bar{\omega}_{Nt}^n}{\bar{\omega}_{Tt}^n} \right) = \left( \frac{\eta}{1 + \eta} \right) \log \left( \frac{p_{Nt}^n}{p_{Tt}^n} \right) + (\epsilon_N - 1) \log \left( \frac{E_t^n}{p_{Tt}^n} \right) + (\epsilon_N - 1) \left( \frac{1 + \eta}{\eta} \right) \log \bar{\omega}_{Tt}^n + \zeta_N^n + \nu_{Nt}^n$$

Data:

- Residualized consumption and expenditure shares
- Effective price faced by each household  $p_{it}^n$ 
  - Expenditure-weighted average of the log-price of each of the expenditure categories belonging to the sector  $i$

Instruments

# Elasticity estimation: Results

	(1)	(2)	(3)	(4)	(5)	(6)
$\eta$	0.225*** (0.001)	0.236*** (0.001)	0.243*** (0.002)	0.278*** (0.004)	0.229*** (0.002)	0.242*** (0.003)
$\epsilon_N$	1.928*** (0.028)	2.147*** (0.057)	1.859*** (0.025)	1.997*** (0.045)	2.486*** (0.046)	3.317*** (0.176)
Expenditure re-weighted	N	Y	N	Y	N	Y
Region FE	N	N	Y	Y	Y	Y
Year FE	N	N	N	N	Y	Y

(1):  $\eta = 0.225$  and  $\epsilon_N = 1.928$  correspond to

- Elasticity of substitution T-NT is 0.18
- Income elasticity difference of nontradable to tradable is 0.11

# Model



# Model: Small open endowment economy

**Goods:** Tradable ( $y^T$ ) and nontradable ( $y^N$ ). Bonds denominated in units of tradables

**Real exchange rate ( $p^N$ ):** Relative price of nontradables

**Aggregate shocks:** Tradable income ( $y^T$ )

**Agents:** A unitary mass of households, divided in a finite number  $F$  of types  $i \in 1, \dots, F$

Equal mass of each type:  $\pi_i = 1/F$



Each household of type  $i$  receives a fraction  $s_i$  of the endowment

Starts the period with debt  $b_i$  and can issue non-state contingent one-period bonds  $b'_i$  at price  $q$

Due to imperfect enforcement, the market value of debt issuance cannot exceed a fraction  $\kappa$  of current income

The credit constraint is therefore:

$$qb'_i \leq \kappa s_i [y^T + p^N y^N]$$

# Decentralized version: Type $i$ household's problem

Households face agg. state  $S = (y^T, B_1, \dots, B_F)$

$$V_i(S, b_i) = \max_{b'_i, c_i^T, c_i^N} u(c(c_i^T, c_i^N)) + \beta \mathbb{E}[V_i(S', b'_i)]$$

subject to

$$\underbrace{c_i^T + p^N c_i^N}_{\text{Consumption}} + \underbrace{b_i}_{\text{Current debt held by } i} = \underbrace{s_i(y^T + p^N y^N)}_{\text{Endowment share}} + q \underbrace{b'_i}_{\text{New debt issued}}$$

$$\underbrace{qb'_i}_{\text{Market value of new debt}} \leq \kappa \underbrace{s_i}_{\text{Pecuniary aggregate demand externality}} (y^T + p^N y^N)$$

Taking aggregate prices and laws of motion as given

$$\underbrace{p^N = p^N(S)}_{\text{Real exchange rate}} ; \quad S' = S'(y^{T'}, \underbrace{B'_1(S), \dots, B'_F(S)}_{\text{Distribution of debt}}) ;$$

# Constrained-efficient version

**Agents:** Planner and risk-neutral foreign lenders

**Aggregate shocks:** Same as competitive equilibrium ( $y^T$ )

**Credit frictions:** For each type  $i$ :

$$qB'_i \leq \kappa s_i \left[ y^T + f\left(\{C_i\}_{i=1}^F\right) y^N \right],$$

Planner's welfare weights  $\{\Psi_i\}_{i=1}^F$

Planner chooses aggregate borrowing by type but must still satisfy the household budget constraints

Planner can't transfer resources across households directly

# Equilibrium price of nontradables

Nonhomothetic preference ( $\epsilon_T < \epsilon_N$ ) ► Hicksian demand

$$p^N = (1 - \omega) \left\{ \underbrace{\frac{1}{F} \sum_{i=1}^F \left[ \omega^{\frac{1}{1+\eta}} C_i^{\epsilon_T - \frac{1}{1+\eta}} + (1 - \omega)^{\frac{1}{1+\eta}} p^N \frac{\eta}{1+\eta} C_i^{\epsilon_N - \frac{1}{1+\eta}} \right]^{\frac{1}{\eta}}}_{E_i^{\frac{1}{1+\eta}}} \times C_i^{\epsilon_N - \frac{1}{1+\eta}} \right\}^{1+\eta}$$

Homothetic preference ( $\epsilon_T = \epsilon_N = 1$ )

$$p^N = (1 - \omega) \omega^{\frac{1}{\eta}} \left[ \left( \frac{1}{F} \sum_{i=1}^F C_i \right)^{-\eta} - (1 - \omega) \right]^{-\frac{1+\eta}{\eta}}$$

# Main mechanism

All types of household of make borrowing decisions that ignore the pecuniary externality

High type households have a larger impact on the evolution of the real exchange

Low type households have a lower borrowing capacity and higher marginal returns of consumption

Relative to the decentralized version, the planner decreases borrowing progressively

When the low types are facing a binding constraint but not the high types, the planner will increase borrowing by the high-types to relax the low-types constraints

► Euler's equation

# Quantitative analysis

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# Quantitative assumptions

Assume that tradable income follows a discretized AR 1 process, estimated from Peruvian macro data

Reduce the problem to only two types of households

Use the estimated parameters from household survey

- Relative income share
- Share of tradable expenditure
- Elasticity of substitution T-NT (GMM)
- Nontradable income elasticity (GMM)

Calibrated parameters

- Discount factor
- Credit constraint coefficient

# Parameters

Estimated from the household survey

Parameter	Description	Value	Method
$s^H/s^L$	Relative income share	3.05	Res. income shares
$\omega$	Share of tradable expenditures	0.45	Share of res. tradable consumption
$\epsilon_T$	Tradable income elasticity	1	Normalized
$\eta$	Elasticity of substitution T-NT	0.23	GMM regression
$\epsilon_N$	Nontradable income elasticity	1.93	GMM regression

Calibrated

Parameter	Description	Value	Moment	Data	Simulation
$\beta$	Discount factor	0.93	NFA to GDP	31.46	31.50
$\kappa$	Credit constraint	0.33	Sudden stop probability	5.26	5.27

► Standard parameters



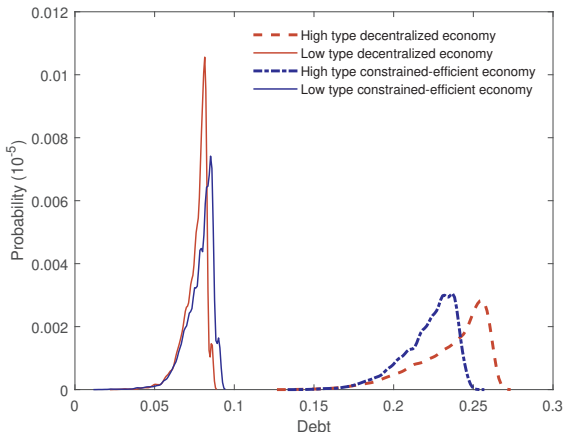
# Decentralized vs. constrained efficient at the ergodic

Average (in %)	DE	CE
Debt/income	31.5	30.4
High type	23.8	22.5
Low type	7.7	8.0
Prob. of crisis	5.27	2.1
<i>RER</i> depreciation	-31.9	-26.5
Welfare gain	–	0.0013

► Comparison

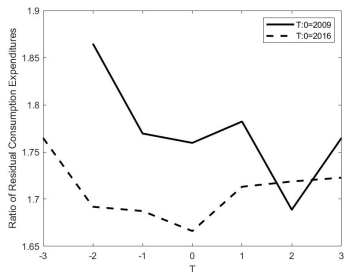
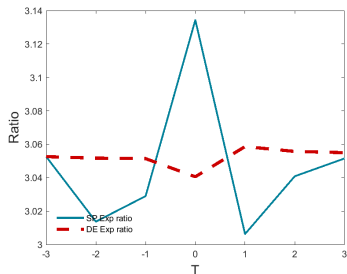
► Policy functions

## Results: Distribution of debt by type



On average high-types overborrow while low-types underborrow

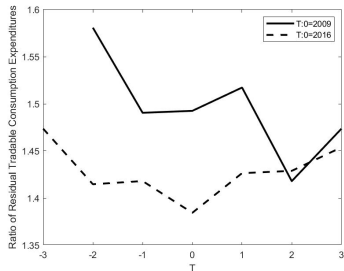
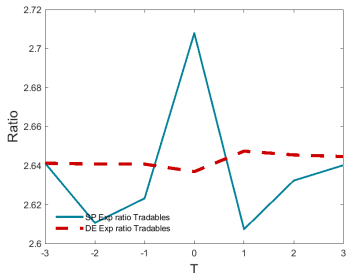
# Expenditure inequality around a sudden stop



Nonresidualized

Under laissez-faire expenditure inequality declines slightly. In the planned economy, large increase

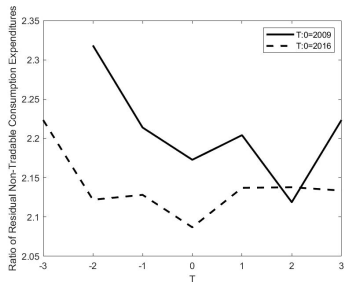
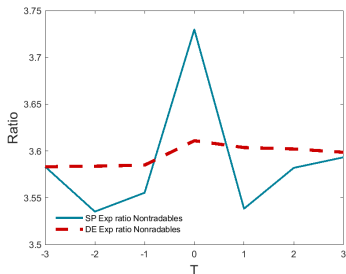
# Tradable expenditure inequality around a sudden stop



Nonresidualized

Under laissez-faire expenditure inequality declines slightly. In the planned economy, large increase

# Nontradable expenditure inequality around a sudden stop



Nonresidualized

Under laissez-faire expenditure inequality declines slightly. In the planned economy, large increase

# Conclusion

Model of how sudden stop crises affect countries with ex-ante heterogeneity

1. Excessive debt issuances by high income households lead to sudden stops
2. Without government intervention, consumption inequality falls during crises
3. Optimal macroprudential policies would decrease inequality on average but increase it during crises

# Conclusion

Model of how sudden stop crises affect countries with ex-ante heterogeneity

1. Excessive debt issuances by high income households lead to sudden stops
2. Without government intervention, consumption inequality falls during crises
3. Optimal macroprudential policies would decrease inequality on average but increase it during crises

## Next steps

- Finish the calibration of the model and check if the dynamics are quantitatively consistent with the micro data
- Allow for idiosyncratic income shocks or shocks to income inequality
- Analyze simple policy recommendations that can approach the CE economy

# Appendix

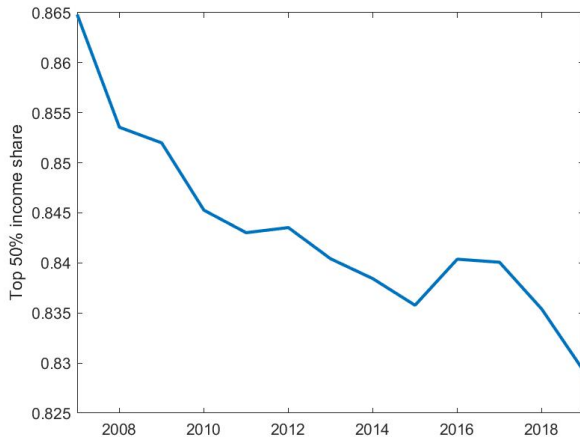
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# Decentralized vs. constrained efficient at the ergodic

	Benchmark		RA & homothetic	
Average (in %)	DE	CE	DE	CE
Debt/income	31.5	30.4	31.23	31.22
High type	23.8	22.5	–	–
Low type	7.7	8.0	–	–
Prob. of crisis	5.27	2.1	4.9	4.7
<i>RER</i> depreciation	-31.09	-26.5	-30.6	-30.5
Welfare gain	–	0.0013	–	0.001

# Peru: Income inequality in levels

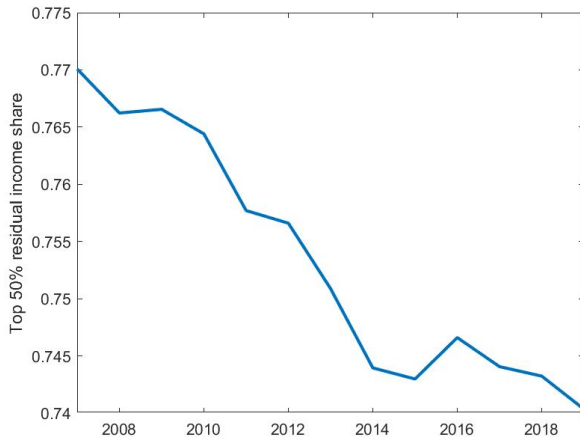


Source: Encuesta Nacional de Hogares (ENAHOG)

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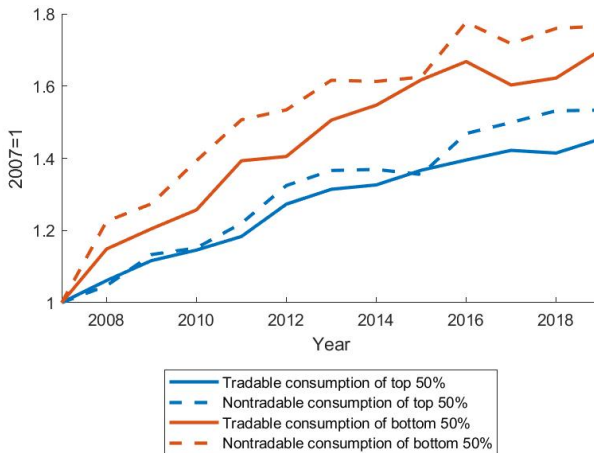
[Residualized Income](#)

# Peru: Income inequality in levels



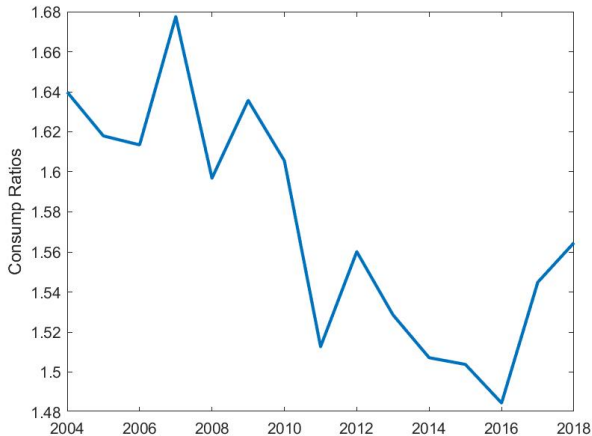
Source: Encuesta Nacional de Hogares (ENAH)

# Homothetic preferences?



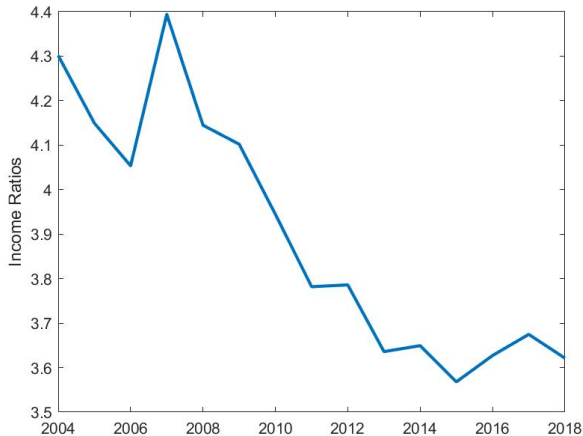
Source: Encuesta Nacional de Hogares (ENAH)

# Peru: Consumption inequality in levels



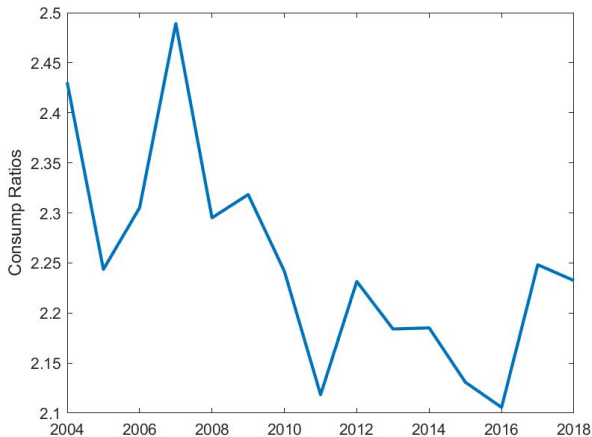
Source: Encuesta Nacional de Hogares (ENAHOG), and IMF IFS

## Peru: Income inequality in levels (non residualized)



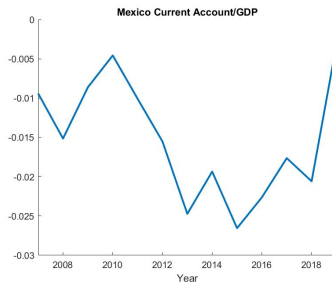
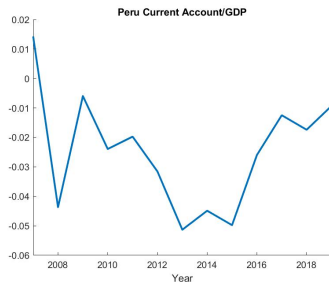
Source: Encuesta Nacional de Hogares (ENAHOG), and IMF IFS

## Peru: Consumption inequality in levels (non residualized)



Source: Encuesta Nacional de Hogares (ENAHOG), and IMF IFS

# Sudden stops in Peru and Mexico



Source: IMF IFS

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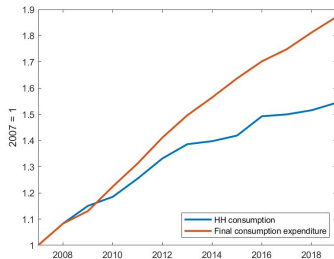
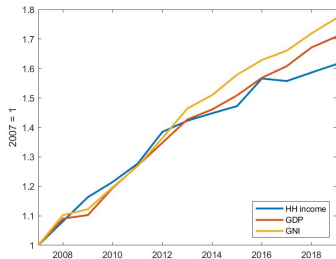
# Residualized Income and Consumption

	(1) Income	(2) Consumption	(3) Tradables	(4) Nontradables
Age	0.00963*** (4.13)	0.0207*** (12.34)	0.0145*** (8.63)	0.0369*** (13.48)
Female	-0.460 (-0.15)	4.359* (1.99)	1.159 (0.53)	8.788* (2.54)
Year	0.0596*** (28.30)	0.0535*** (36.47)	0.0538*** (37.06)	0.0577*** (21.90)
Constant	Yes	Yes	Yes	Yes
Controls for Household Size	Yes	Yes	Yes	Yes
Controls for Education Level	Yes	Yes	Yes	Yes
Controls for Region	Yes	Yes	Yes	Yes
Interaction Time and Education	Yes	Yes	Yes	Yes
Interaction Time and Gender	Yes	Yes	Yes	Yes
Observations	171202	171202	171197	171061
R <sup>2</sup>	0.327	0.421	0.435	0.287

*t* statistics in parentheses

Period: 2007-2019. Least Squares Estimation. \*\*,\*\*\*: significant levels of 5%,1%.

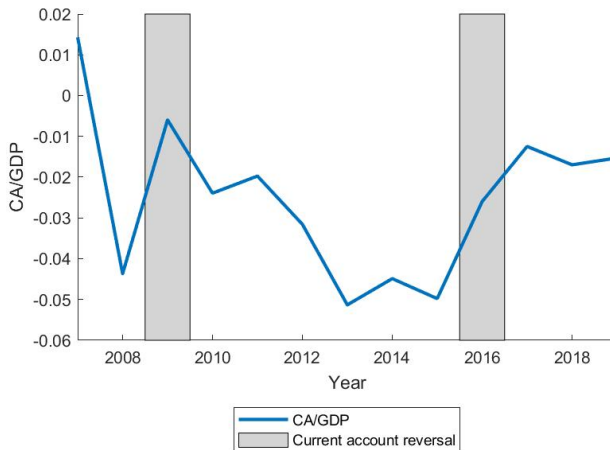
# Macro vs Micro aggregates



Source: IMF IFS, ENAHO, and ENIGH

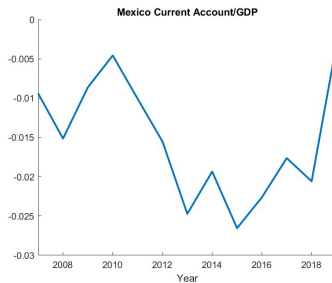
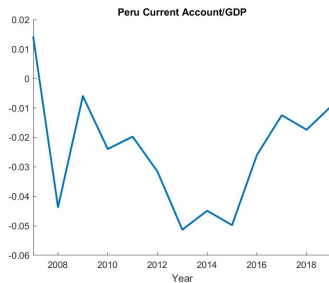
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# Current account reversals in Peru



Source: IMF IFS

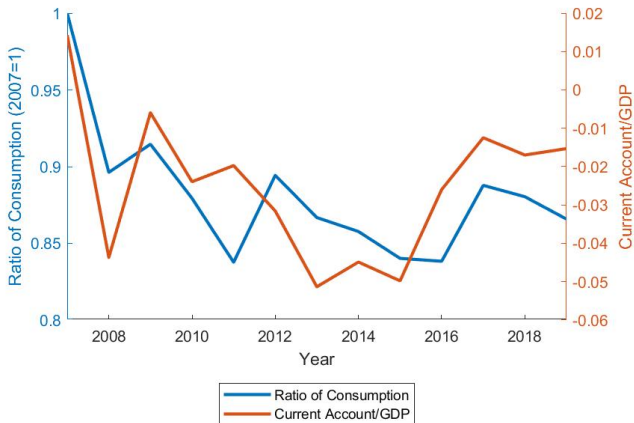
# Sudden stops in Peru and Italy



Source: IMF IFS

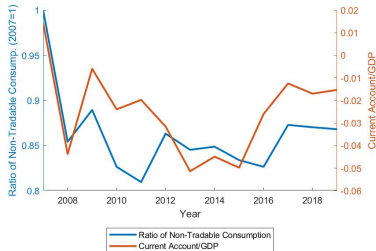
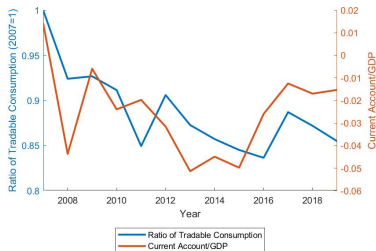
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# Peru: Consumption inequality and the current account



Source: Encuesta Nacional de Hogares (ENAHOG) and IMF IFS

# Peru: Tradable and nontradable inequality



Source: Encuesta Nacional de Hogares (ENAHOG) and IMF IFS

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# Elasticity Estimation: Instruments

## Instruments on expenditures

- Annual income after taxes
- Income quintile

## Instruments on relative price

- Compute the average price for each category across regions excluding the own region
- Sectoral price for a region is constructed using the average region expenditure shares in each sub-component as weights

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# Constrained-efficient version

Planner faces agg. state  $S = (y^T, B_1, \dots, B_F)$

$$V^{CE}(S) = \max_{\forall i \in \{1, \dots, F\} B'_i, c_i^T, c_i^N} \sum_{i=1}^F \frac{1}{F} u(C(c_i^T, c_i^N)) + \beta \mathbb{E}[V^{CE}(S')]$$

subject to

$$\forall i \quad \underbrace{c_i^T + p^N c_i^N}_{\text{Consumption}} + \underbrace{B_i}_{\text{Current debt held by } i} = s_i \underbrace{(y^T + p^N y^N)}_{\text{Endowment share}} + q \underbrace{B'_i}_{\text{New debt issued}}$$

$$\forall i \quad \underbrace{q B'_i}_{\text{Market value of new debt}} \leq \kappa s_i (y^T + p^N y^N)$$

$$p^N = f\left(\{C_i\}_{i=1}^F\right)$$

Where

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$$S' = S'(y^{T'}, \underbrace{B'_1(S), \dots, B'_F(S)}_{\text{Distribution of debt}})$$



# General equilibrium objects

$$\bar{X} = \frac{1}{EC_{-i}} \left( \frac{\frac{dp^N}{dc_{-i}}}{\frac{dp^N}{dc_i}} \psi_i c_i^{-\sigma} - \psi_{-i} c_{-i}^{-\sigma} \right)$$

$$\bar{Z} = \frac{EC_i}{EC_{-i}} \frac{\frac{dp^N}{dc_{-i}}}{\frac{dp^N}{dc_i}}$$

$$EP_i = (1 - \omega)^{\frac{1}{1+\eta}} c_i^{\epsilon_N - \frac{1}{1+\eta}} E_i^{\frac{1}{1+\eta}} (p^N)^{\frac{-1}{1+\eta}}$$

$$EC_i = \frac{1}{\eta} E_i^{\frac{1}{1+\eta}} \left[ \omega^{\frac{1}{1+\eta}} (\epsilon_T(1 + \eta) - 1) c_i^{\epsilon_T - 1 - \frac{1}{1+\eta}} \right. \\ \left. + (1 - \omega)^{\frac{1}{1+\eta}} (\epsilon_N(1 + \eta) - 1) c_i^{\epsilon_N - 1 - \frac{1}{1+\eta}} (p^N)^{1 - \frac{1}{1+\eta}} \right]$$

# Constrained-efficient multiplier $\lambda$

Benchmark

$$\lambda_i = \frac{\frac{1}{\frac{dP^N}{dc_i}} \Psi_i c_i^{-\sigma} + \bar{X} (EP_{-i} - s_{-i}) + \kappa (\mu_i s_i + \mu_{-i} s_{-i})}{\frac{\overbrace{EC_i}^{\text{red}}}{\frac{dP^N}{dc_i}} + EP_i - s_i + \bar{Z} (EP_{-i} - s_{-i})}$$

Homothetic preference

$$\lambda_i = \frac{\frac{1}{\frac{dP^N}{dc}} \Psi_i c_i^{-\sigma} + \bar{X} (EP_{-i} - s_{-i}) + \kappa (\mu_i s_i + \mu_{-i} s_{-i})}{\frac{\overbrace{EC}^{\text{red}}}{\frac{dP^N}{dc}}}$$

No inequality

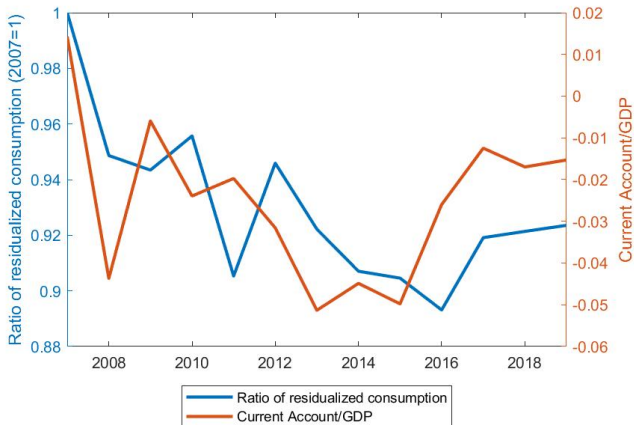
$$\lambda = \frac{\frac{1}{\frac{dP^N}{dc}} c^{-\sigma} + \kappa \mu}{\frac{\overbrace{EC}^{\text{red}}}{\frac{dP^N}{dc}} + \underbrace{EP}_{\text{blue}} - 1}$$

# Standard parameters

Parameter	Description	Value	Source
$r^*$	Risk-free rate	0.04	Standard literature value
$\sigma$	Risk aversion	2	Standard literature value
$\rho_{yT}$	Tradable output persistence	0.53	Peruvian macro data
$\sigma_{yT}$	Std. dev. of tradeable shock	0.047	Peruvian macro data

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# Peru: Consumption inequality and the current account



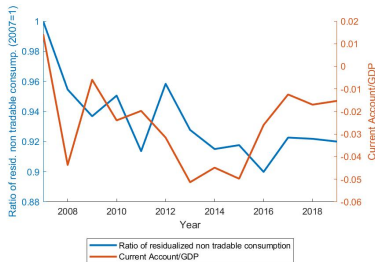
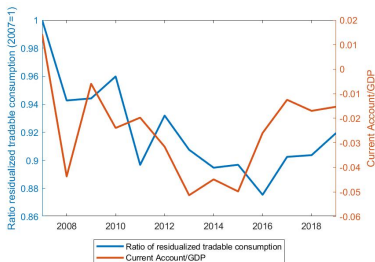
Source: Encuesta Nacional de Hogares (ENAHOG), and IMF IFS

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# Peru: Tradable and nontradable inequality



Source: Encuesta Nacional de Hogares (ENAH), and IMF IFS

Nonresidualized

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# Euler's equation

$$\lambda_i = \frac{\beta}{q} \mathbb{E} [\lambda'_i] + \mu_i$$

- $\lambda_i$ : multiplier on the agent's budget constraint
- $\mu_i$ : multiplier on the agent's credit constraint

## Decentralized version

$$\lambda_i = c_i^{-\sigma}$$

## Constrained-efficient version

$$\lambda_i = \frac{\frac{1}{\frac{dPN}{dc_i}} \psi_i c_i^{-\sigma} + \overbrace{\bar{X}}^{\text{redistribution: } \neq 0} (EP_{-i} - s_{-i}) + \kappa (\mu_i s_i + \mu_{-i} s_{-i})}{\frac{EC_i}{\frac{dPN}{dc_i}} + EP_i - s_i + \underbrace{\bar{Z}}_{\text{nonhomotheticity: } \neq 1} (EP_{-i} - s_{-i})}$$

# Hicksian approach

Household's  $i$  consumption **Expenditures** are defined as

$$E_i = c_i^T + p^N c_i^N$$

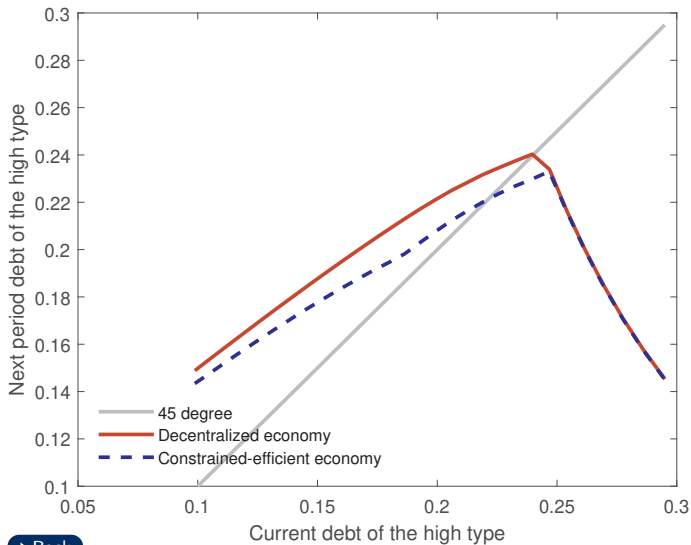
It can be shown that  $E_i$  can be rewritten in terms of the composite consumption  $C_i$  and the price of nontradables  $p^N$ :

$$E_i = \left[ \omega^{\frac{1}{1+\eta}} C_i^{\epsilon_T - \frac{1}{1+\eta}} + (1 - \omega)^{\frac{1}{1+\eta}} C_i^{\epsilon_N - \frac{1}{1+\eta}} (p^N)^{\frac{\eta}{1+\eta}} \right]^{\frac{1+\eta}{\eta}}$$

Note that when preferences are homothetic

$$E_i = \underbrace{\left[ \omega^{\frac{1}{1+\eta}} + (1 - \omega)^{\frac{1}{1+\eta}} (p^N)^{\frac{\eta}{1+\eta}} \right]^{\frac{1+\eta}{\eta}}}_{\text{Shadow Price of Composite } i} C_i$$

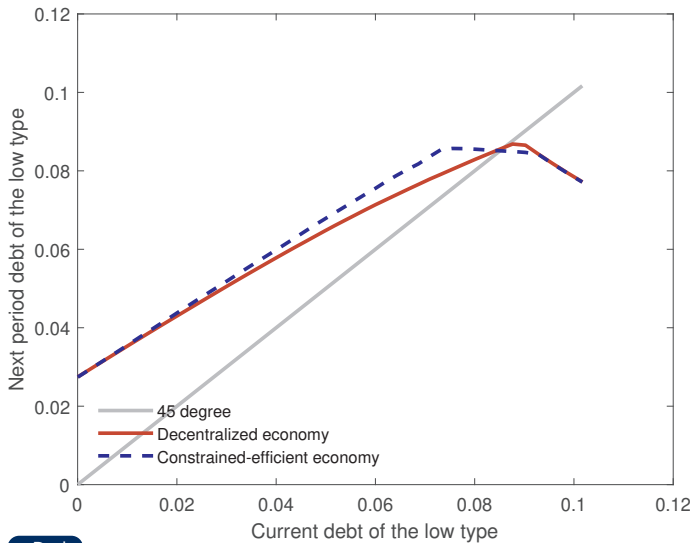
# Policy function of debt for the high type



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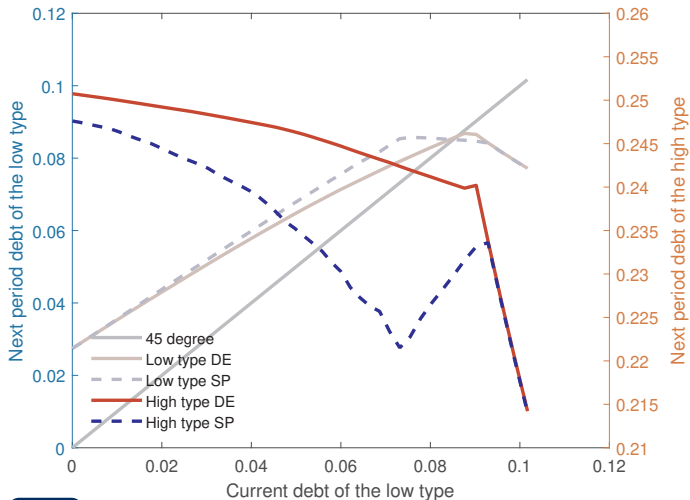


# Policy function of debt for the low type

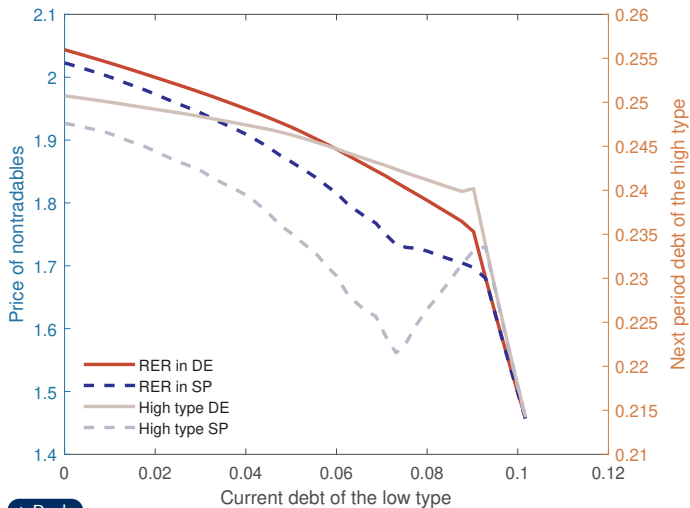


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# Debt of the high type as a function the current debt of the low type

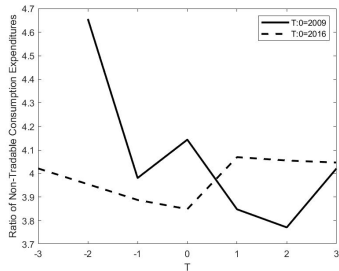
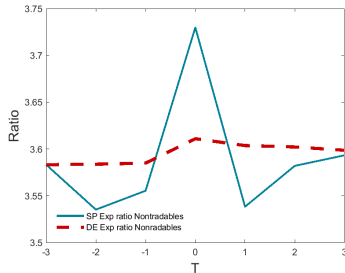


# Relaxing the real exchange rate



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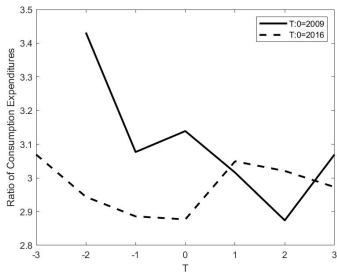
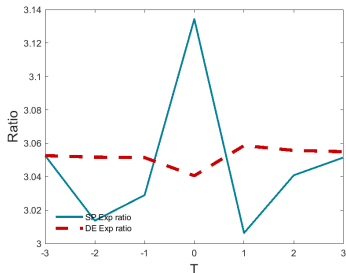
# Nontradable expenditure inequality around a sudden stop



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Under laissez-faire expenditure inequality increases slightly. In the planned economy, large increase

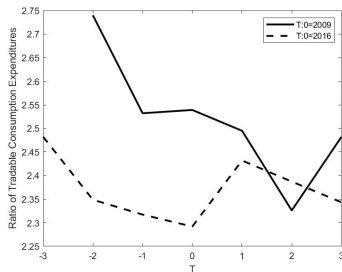
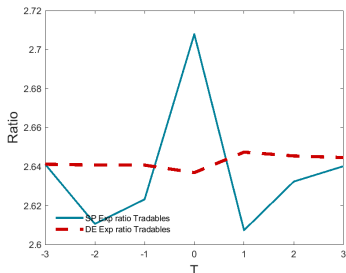
# Expenditure inequality around a sudden stop



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Under laissez-faire expenditure inequality declines slightly. In the planned economy, large increase

# Tradable expenditure inequality around a sudden stop



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Under laissez-faire expenditure inequality declines slightly. In the planned economy, large increase